

**Chapter 9 Geometry 1 Triangle and Quadrilaterals**

1. I know that that a **right angle is  $90^\circ$** , a **straight line angle is  $180^\circ$** , an **acute angle is between  $0^\circ$  and  $90^\circ$** , an **obtuse angle between  $90^\circ$  and  $180^\circ$**  and a **reflex angle is between  $180^\circ$  and  $360^\circ$** .
2. I know that the **sum of angles on a straight line add to  $180^\circ$** , the **sum of angle meeting at a point add to  $360^\circ$**  and that **vertically opposite angles formed when 2 straight lines cross at a point are equal**.
3. I know that angles formed when a **straight line crosses a pair of parallel lines** have the following properties: **corresponding angles are equal**, **alternate angles are equal** and that the **sum of interior angles adds up to  $180^\circ$** .

**Q2 Q4 Q6 Q8 Q9 page 153**

4. I know **that an equilateral triangle has 3 equal sides and 3 equal angles ( $60^\circ$ )**
5. I know that an **isosceles triangle has 2 sides equal in length and that the angles opposite the equal sides are equal** (very important rule).
6. A **right angled triangle has 1 angle of  $90^\circ$**  and that **Pythagoras** rule can be used in these triangles to find the length of any 3<sup>rd</sup> side if I know the length of the other 2.  **$a^2 = b^2 + c^2$**
7. I know that **triangles without any of the above properties are known as scalene triangles**.
8. I know that the **sum of angles in a triangle is  $180^\circ$** .
9. I know that the **exterior angle in a triangle is equal to the sum of the interior opposite angles**.

**See example 1 Page 154**

**Q1 Q3 Q5 Q9 Q11 Q13 Page 154**

10. I know that a **Quadrilateral** is a figure with **4 sides** whose interior angles add up to  **$360^\circ$** :  
**A square** – all 4 sides same length, opp sides  $\parallel$ , all 4 angles are  $90^\circ$ , the **diagonals** are equal and bisect (divide into 2 equal parts) each other at right angles  
**A Rectangle** – each pair opp sides  $\parallel$  and equal in length, all 4 angles are  $90^\circ$ , the **diagonals** are equal and bisect each other at right angles  
**A Parallelogram** – opp sides  $\parallel$ , opp sides equal in length, opp angles are equal, the **diagonals** of a parallelogram bisect each other, **consecutive angles** (going from one to its neighbour) are 'supplementary' (add to  $180^\circ$ )  
**A Rhombus** (a leaning square pushed sideways) - 4 equal angles, opp sides are  $\parallel$ , opp angles are equal, **diagonals** bisect each other at right angles

**Example 1 Page 159**

**Q1 Q3 Q5 Q9 Q10 Page 159**

11. I know **congruent triangles are the same size and shape** (they are the same). Triangles can be shown to be congruent if they have 3 pairs of sides the same length '**SSS**', 2 pairs of side lengths are the same length and the angle between the 2 sides is the same '**SAS**', two pairs of angles are equal and the sides between the 2 equal angles are equal in length '**ASA**' or both triangles have a right angle, the hypotenuses are equal and one pair of corresponding sides are equal in length '**RHS**'.

**Example 1 page 163**

12. I know that given 2 triangles with the same angles that a side opposite an angle in one triangle '**corresponds**' to the side opposite the same size angle in the second triangle.

**Example 2 Page 163**

**Q1, Q2, Q4, Q7 Q10 Q12 Q14 Page 167**

13. I know of and how to apply the theorem of Pythagoras for right angled triangles.

**Example 1 and 2 Page 168**

**Q2 Q4 Q7 Q11 Q14 Q16 Q17 Page 169**